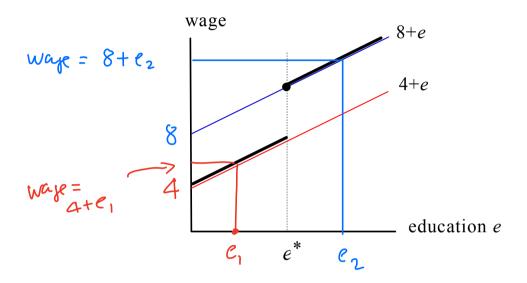
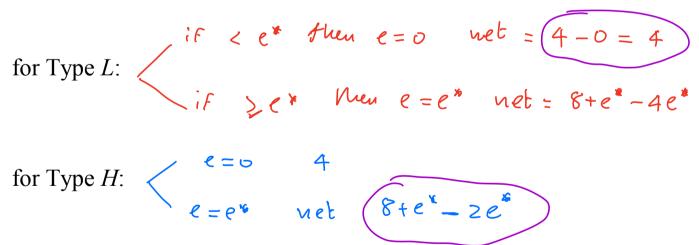
Example of a signaling equilibrium when education does increase productivity

Type L: $\begin{cases} \text{productivity: } 4+e \\ \text{cost: } C_L(e) = 4e \end{cases} \text{ and } \text{Type } H$: $\begin{cases} \text{productivity: } 8+e \\ \text{cost: } C_H(e) \neq 2e \end{cases}$



For a signaling equilibrium we need:



Suppose that 50% of the population is Type L and 50% is Type H.

Consider a signaling equilibrium with $e^* = 3$.

Then Type L have a net wage of

Type *H* a net wage of

Force everybody to choose e = 0 and force employers to pay everybody w = average productivity:

An example with three types

Type A: productivity 10, cost $C_A(y) = ay$

Type B: productivity 15, cost $C_B(y) = by$

Type C: productivity 20, cost $C_C(y) = cy$

$$0 < c < b < a$$

$$Wage offer: \begin{cases} 10 & \text{if } y < y_1 \\ 15 & \text{if } y_1 \le y < y_2 \\ 20 & \text{if } y_2 \le y \end{cases}$$

For a separating signaling equilibrium we need:

Type A to choose

Type B to choose

Type C to choose

Necessary conditions for Type A:

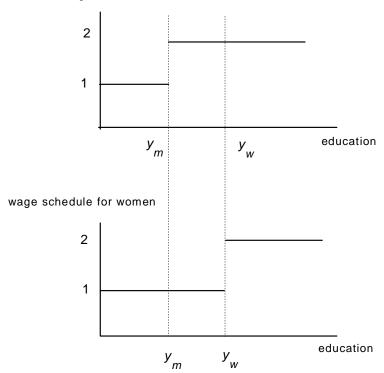
Necessary conditions for Type B:

Necessary conditions for Type C:

Index vs signal

	Women, L	Women, H	Men, L	Men, H
productivity	1	2	1	2
proportion	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$
Cost of acquiring y units of education	у	$\frac{y}{2}$	у	$\frac{y}{2}$

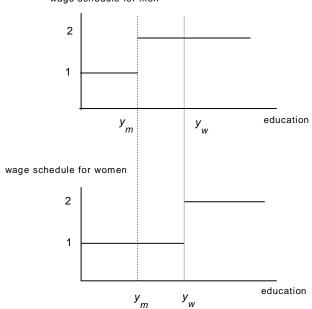
wage schedule for men



	Women, L	Women, H	Men, L	Men, H
productivity	1	2	1	2
proportion	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$
Cost of acquiring <i>y</i> units of education	у	$\frac{y}{2}$	у	$\frac{y}{2}$

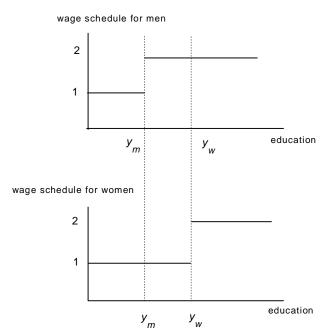
MEN's CALCULATIONS





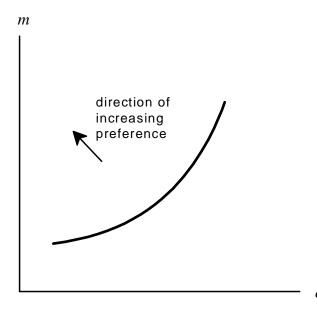
productivity	1	2	1	2
proportion	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$	$\frac{1}{4}$
Cost of acquiring y units of education	у	$\frac{y}{2}$	у	$\frac{y}{2}$

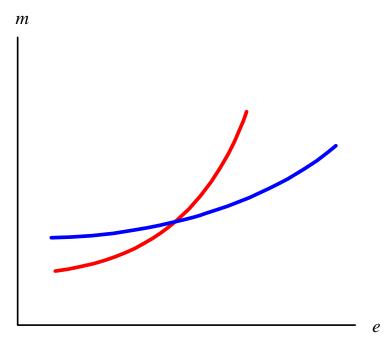
WOMEN'S CALCULATIONS



Psychological costs of education

U(m,e)

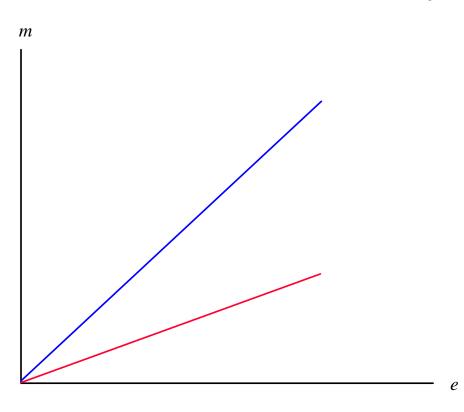




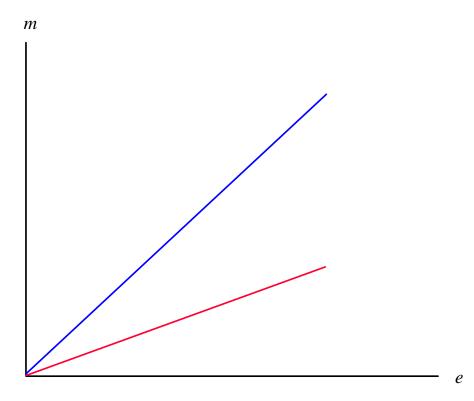
Productivity of Type H: He

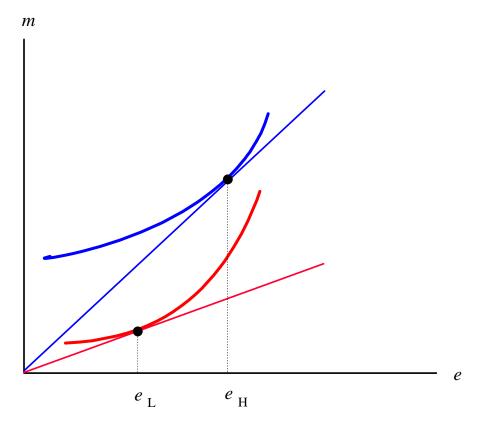
Productivity of Type L: Le

0 < L < H

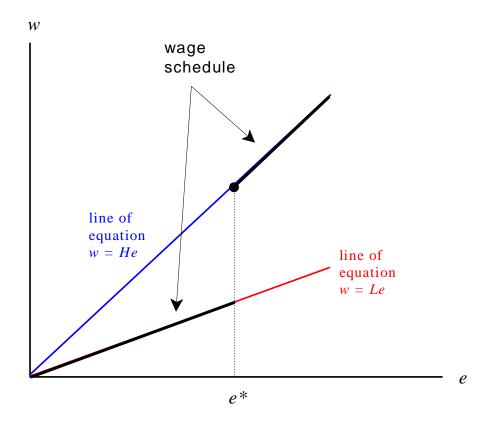


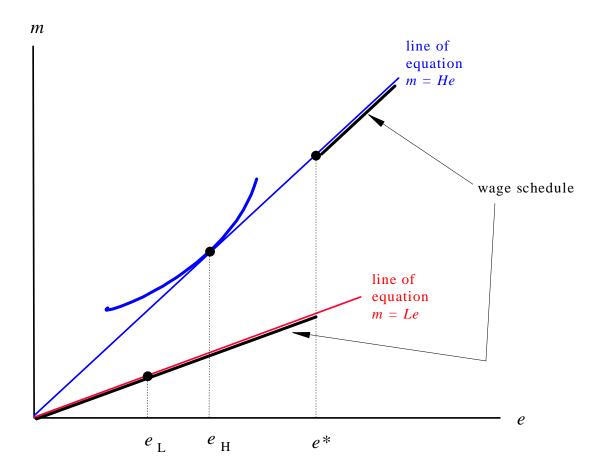
When types can be identified

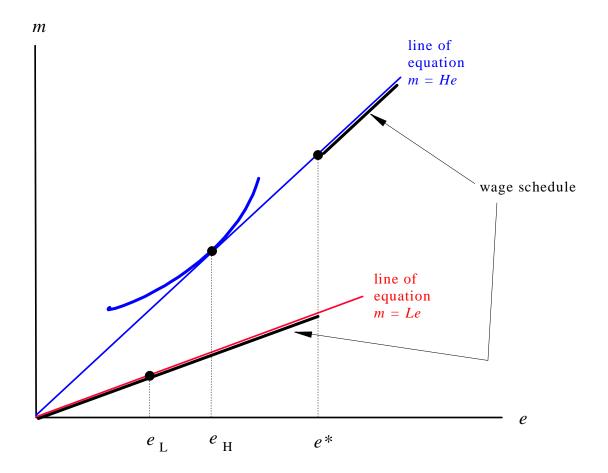




Asymmetric information







When $e_L < e^* < e_H$ and e^* close to e_H possible to have efficiency:

